

**ECSE-2210 Microelectronics Technology**  
**Class Activity 1 – Solution**

**Problem 1**

- a. Name one elemental semiconductor and one compound semiconductor.

Si and Ge are elemental semiconductors. GaAs, GaSb, AlSb, SiC, ZnSe are examples of compound semiconductors.

- b. What is the difference between a crystalline and polycrystalline material?

In a *crystalline* material the atoms are arranged in an orderly three dimensional array – its just one “single crystal”. Every part of the crystal is oriented exactly the same. A *polycrystalline* material consists of many small crystalline subsections (called “crystallites”), which may be oriented differently with respect to each other.

- c. Give a word definition of the term “unit cell”.

Unit cell is a small portion of any given crystal, on repeating results in a full crystal. Unit cells are not unique. You can have different unit cells, each giving the full crystal when repeated.

- d. How many atoms are in a unit cell of the simple cubic/bcc/fcc/diamond lattice?

**SC = 1:** 1/8 from each corner atom, 8 corner atoms. Only 1/8 belongs to the unit cell.

**BCC = 2:** In addition to the 1 atom from 8 corner atoms similar to the SC, we have now one atom at the center of the cube. So, there are a total of 2 atoms per unit cell.

**FCC = 4:** Here, we have 1 atom from the 8 corner atoms. In addition, we have 3 atoms from the face atoms. Since each face atom is shared between two unit cells, only  $\frac{1}{2}$  belongs to the unit cell in question. Since there are 6 faces, we have a total of  $(\frac{1}{2} \times 6) = 3$  atoms. So, there are 4 atoms in the unit cell.

**Diamond = 8:** This comprises of 2 interpenetrating fcc lattices. 1 atom is contributed from the 8 corners, 3 atoms from the six faces, and 4 whole atoms from inside the unit cell. As a result, there are 8 atoms per unit cell.

- e.  $1 \text{ \AA} = ? \text{ cm};$   $1 \text{ nm} = ? \text{ \AA}.$

$$1 \text{ \AA} = 10^{-8} \text{ cm}; \quad 1 \text{ nm} = 10 \text{ \AA}$$

$$1 \text{ \AA} = 1 \text{ Angstroms} = 10^{-10} \text{ meters}$$

$$1 \text{ nm} = 1 \text{ nanometer} = 10^{-9} \text{ meters}$$

- f. In terms of the lattice constant  $a$ , what is the distance between nearest-neighbor atoms in a simple cubic lattice?

It is the lattice constant  $a$ . The nearest neighbors for any given atom are the ones along the cube edge.

- g. How many nearest-neighbor atoms are there in the diamond and zincblende lattices?

There are 4 atoms surrounding each atom or in other words, each atom is “bonded” to 4 other atoms. This fact has important implications, as you will see in the next class when we describe band and bond models of Si and Ge crystals.

- h. Classify materials based on their resistivity (Hint: Build three groups of materials). What is unique about semiconductors?

Insulators  $10^{10} - 10^{18} \Omega \text{ cm}$

Semiconductors  $10^{-4} - 10^8 \Omega \text{ cm}$

Conductors  $10^{-6} - 10^{-4} \Omega \text{ cm}$

The uniqueness of semiconductors is that their conductivity can be varied **by us over a wide range**,

- by adding minute quantities of impurities
- by applying electric field
- illumination

### Problem 2

The lattice constant of Ge at room temperature is  $a = 5.65 \text{ \AA}$ . Determine the number of Ge atoms per  $\text{cm}^3$ . Determine the mass density of Ge in  $\text{g cm}^{-3}$  if Ge has an atomic weight of 72.6 atomic units.

Ge crystallizes in diamond lattice structure, which means there are 8 atoms in one unit cell. Since the lattice constant is  $5.65 \times 10^{-8} \text{ cm}$ , we can calculate the volume occupied by these 8 Ge atoms or we can calculate the number of Ge atoms in  $1 \text{ cm}^3$  of the Ge crystal.

$$\text{Number of the Ge atoms per cm}^3 = 8 / (5.65 \times 10^{-8} \text{ cm})^3 = 4.4 \times 10^{22} \text{ cm}^{-3}$$

$$\begin{aligned} \text{Mass density} &= 4.4 \times 10^{22} (\text{atoms/cm}^3) \times 72.6 (\text{g / mole}) / (6.02 \times 10^{23} (\text{atoms/mole})) \\ &= 5.34 \text{ g cm}^{-3} \end{aligned}$$

### Problem 3

In terms of the lattice constant  $a$ , what is the distance between nearest-neighbor atoms in:

- a. The bcc lattice?

Here, nearest neighbor atoms are lined up along the body diagonal. The distance from corner to corner is  $a\sqrt{3}$ . So, the distance between two nearest neighbors will be  $a\sqrt{3} / 2$ .

- b. In an fcc lattice?

This is the distance between any two atoms along the face diagonal of this cubic lattice.

Length of the face diagonal is  $a\sqrt{2}$  and therefore the nearest-neighbor distance is given by  $a\sqrt{2} / 2$

**Problem 4**

The cubic unit cell pictured below characterizes a crystalline lattice. The cell has a single atom positioned at the center of the cube

- a. What is the name of the lattice generated by the given unit cell?

The name is “simple cubic structure”. Imagine that the unit cell is repeated; this ends up in a SC lattice (and not in the bcc structure!)

- b. Determine the number of atoms per  $\text{cm}^3$  in the crystal if the lattice constant  $a$  is 0.5 nm.

The number of atoms in  $1 \text{ cm}^3$  of the crystal will be:

$$1 / (0.5 \times 10^{-7} \text{ cm})^3 = 8 \times 10^{21} \text{ atoms/cm}^3$$

